

TCAD-based Simulation of Hole Spin Qubits in 5-Gate Si FinFETs: Rabi Frequency and Charge Noise

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Abstract - We performed TCAD simulations of Rabi frequency and electrostatic potential fluctuation at each qubit location, induced by single-charge traps. The simulation framework was applied to the 5-gate hole spin qubit Si FinFET fabricated at the University of Basel. Based on our formerly established AC simulation scheme, we developed post-processing code for the calculation of Rabi frequency. The simulated Rabi frequencies for the case of one-hole quantum dots (QDs) are $\sim 480/29.8$ GHz for QD1/2, which are orders of magnitude larger than the measured value (~ 20 MHz). This mismatch is likely due to a significant difference between the electrostatics of the real and simulated device. We simulate the potential fluctuation at each QD induced by displacement of single-charge traps - a useful prerequisite for the calculation of decoherence time and noise in future work. The obtained root mean square (*rms*) values of these potential fluctuations with just one single-charge interface trap in the whole device are $\sim 4.9/4.6$ mV at QD1/2, based on a set of 300 random trap locations. The device temperature is 1 K in all simulations.

Device Structure & Simulation Method

Device Structure:

- We studied the 5-gate Si FinFET fabricated at the University of Basel [1] (see Fig. 1a), with two hole spin qubits embedded in QDs under the P-gates. Our goal is to establish a TCAD-based simulation framework capable of calculating the qubits' Rabi frequencies, the electrostatic potential and E-field fluctuation at each qubit location induced by single-charge traps. The simulated 3D device structure is shown in Fig. 1b.

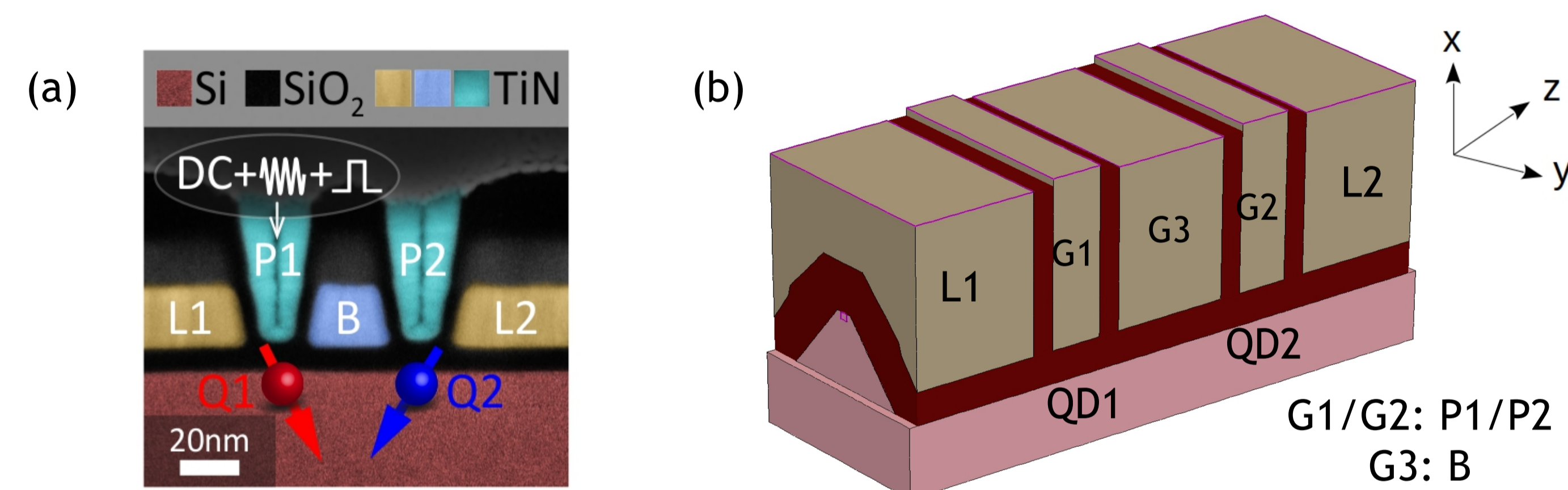


Figure 1: (a) 2D cross section of fabricated 5-gate Si FinFET device along fin direction, with double QDs formed under P-gates. (b). Sketch of simulated 3D device structure.

Simulation Method:

- Sentaurus Device is employed to solve for the electrostatics, with the density gradient model [2] used to capture the quantum confinement effect (calibrated with k·p Schrödinger-Poisson).
- The simulation flow is illustrated in Fig. 2.
 - We implemented the theoretical model of Ref. [3] to calculate the Rabi frequency. One first runs a coupled DC-AC simulation to obtain the response E-field (amplitude and polarization angle) at each QD, then the self-developed post-processing code is used to obtain the Rabi frequency.
 - For the trap-charge induced fluctuations, two-round DC simulations are performed: with charge traps directly at the gate SiO₂/Si channel interface, and the traps displaced into SiO₂ by 5 Å. From the change of potential caused by these trap displacements one calculates the correlation functions.

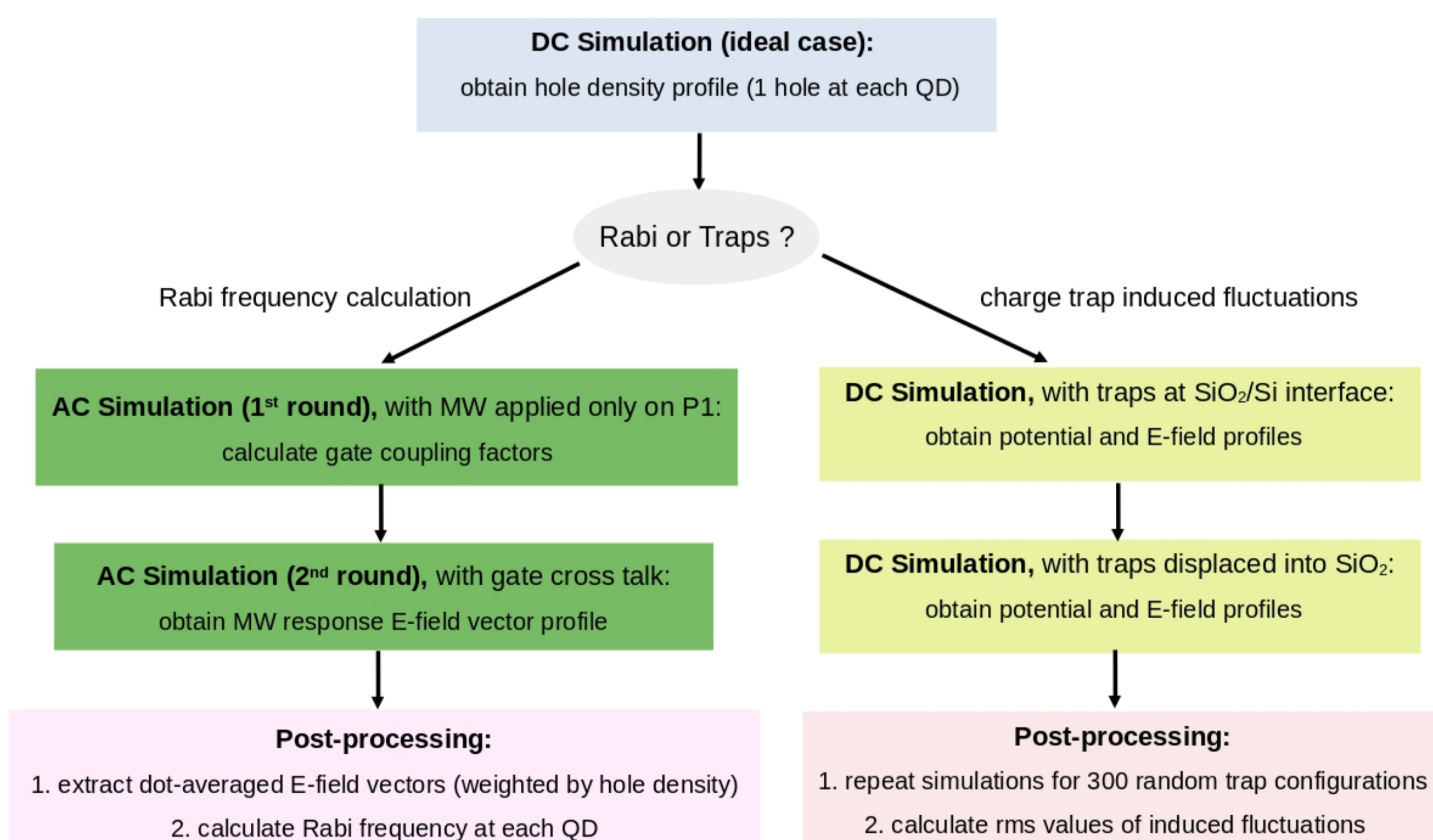
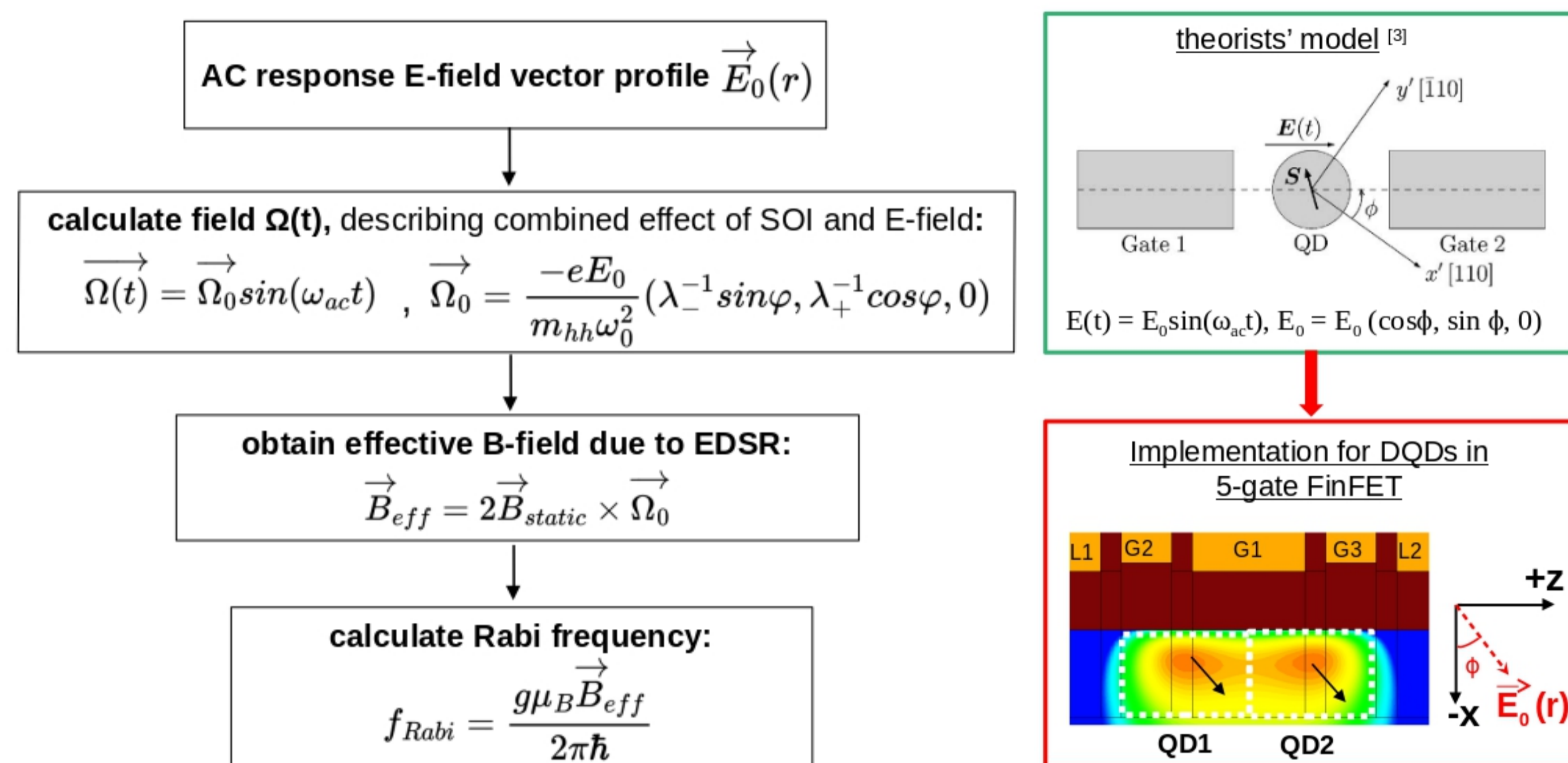


Figure 2: Illustration of simulation flow for the calculation of Rabi frequency and electrostatic fluctuations induced by single-charge traps.

Simulation Results: Rabi Frequency

- Details of the post-processing code implemented for the studied device to calculate the Rabi frequency are described below.



- The obtained results of AC response E-field and Rabi frequency at QD1/2 (with one hole at each dot) are summarized in this table.

	ave. E_0 [V/cm]	Φ [°]	B_{eff} [T]	f_{Rabi} [GHz]
QD1	4.62e5	17.65	(-16.87, 0, 5.36)	480.02
QD2	2.37e5	55.47	(-0.51, 0, 0.75)	29.79

Simulation Results: Trap-charge Induced Fluctuations

- The *rms* value of the trap-charge induced potential fluctuation averaged over each dot is calculated by the following formula:

$$\sqrt{\langle \delta V^2 \rangle} = \frac{\int \int \int_{V_{QD}} \sqrt{\frac{\sum_{i=1}^N (V_i(r) - V'_i(r))^2}{N}} dr^3}{V_{QD}}$$

- $V_i(r)$: potential profile with traps located directly at the SiO₂/Si interface
- $V'_i(r)$: potential profile with traps vertically displaced into SiO₂ by 5 Å
- N : total number of repeated simulation sets with randomly located single-charge traps
- V_{QD} : volume of each single-hole QD
- The results for $\sqrt{\langle \delta V^2 \rangle}$ based on 300 simulation sets ($N=300$) are summarized in the table below. The varied number of single-charge traps assigned in each simulation corresponds to the varied trap concentrations. δV is an abbreviation for $\sqrt{\langle \delta V^2 \rangle}$.

# of single-charge traps	trap conc. [cm ⁻²]	QD1 δV [mV]	QD2 δV [mV]
1	1e11	4.86	4.61
7	1e12	18.74	19.69
36	5e12	43.44	43.66

- Assuming 1/f-noise, the trap-charge induced qubit dephasing time T_2^* can be calculated as follows^[4]:

$$\frac{1}{T_2^*} = \frac{1}{\hbar} |Q| \sqrt{\langle \delta V^2 \rangle} \sqrt{\frac{1}{2\pi} \log \left(\frac{|Q| \sqrt{\langle \delta V^2 \rangle}}{\hbar \omega_{hr}} \right)}$$

Outlook

- Investigate impacts of the distance of trap displacement and DC hole charge configuration on the trap induced potential fluctuation
- Develop post-processing code to calculate single-charge trap induced qubit dephasing time T_2^*

References

- Camenzind et al., Nat Electron 5 (2022)
- Sentaurus Device Manual, v2020.09
- Golovachet et al., Phys. Rev. B 74 (2006)
- Bosco et al., PRX Quantum 2 (2021)