## TCAD Analysis of Leakage Currents in the Ballistic Regime

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**Introduction:** In this work it is demonstrated how ballistic mobility ( $\mu_b$ ) models [1,2] affect the leakage currents in ultra-short FETs using a semi-classical device simulator [3,4]. **Method:** The test device and relevant parameters are shown in Fig. 1. Ballistic I<sub>D</sub>-V<sub>GS</sub> characteristics obtained from the quantum-transport tool QTx [5] served as reference. Source-to-drain tunneling (STDT) which dominates the sub-threshold current at ultra-short gate lengths [6] was simulated by the default "Non Local Tunneling" (NLT) model implemented in [4]. Two  $\mu_b$ -models where used to better match the ON-current (I<sub>ON</sub>) with the QTx reference. The first has a ballistic electron velocity ( $v_b$ ) dependent on the quasi-Fermi potential (QFP)  $\psi_n$  [1,2]. In the second,  $v_b$  is a function of the electron density  $n_{TOB}$  at the top of the source-to-drain potential barrier [1]. A leakage mechanism inherent in DG transistors and FinFETs is the floating-body effect (FBE) [7] caused by band-to-band tunneling (BTBT) and affected by Shockley-Read-Hall (SRH) recombination. Models available in [4] were used in the TCAD simulations.

**<u>Results:</u>** Fig. 2a shows that the  $v_b(n_{TOB})$ -model can well reproduce the quantum-ballistic  $I_{ON}$ , but the sub-threshold current becomes corrupted. This can be traced back to the deformation of  $\psi_n(x)$  (see Fig. 2b). As the STDT rate of the NLT model is computed with the local QFPs at the classical turning points  $(x_t)$  for each tunnel path, the deformed  $\psi_n(x)$  artificially suppresses the tunnel current. The red curve in Fig. 3 was obtained by a post-processing calculation of the STDT current using the contact Fermi levels in the NLT model instead of  $\psi_n(x_t)$ . This removes the artifact in the deep sub-threshold range (first two points), but quickly leads to deviations from the self-consistent TCAD solution which contains the ordinary drift-diffusion current. The ballistic velocity models also impact the BTBT rates which locally depend on the QFPs (see Fig. 5a). The transfer curves in Fig. 4 (with BTBT+SRH added to STDT) exhibit the additional FBE-induced leakage current. The stronger sensitivity of the BTBT rate to the  $v_b(n_{TOB})$ -model as compared to the  $v_b(\psi_n)$ -model can be traced back to a stronger deformation of  $\psi_n(x)$  in the channel-drain junction where the electron BTBT rate is maximal (Fig. 5b). The relative effect is not much changed even at an extreme rate of  $\sim 10^{32} \text{ cm}^{-3}\text{s}^{-1}$  (see Fig. 6).

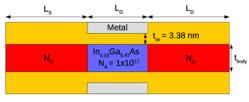
<sup>[1]</sup> P. Aguirre et al., Solid-States-Electronics, accepted, 2019. [2] O. Penzin et al., IEEE T-ED 64, 2017. [3]
M. Ieong et al., IEDM, 1998. [4] Synopsys Inc., Sentaurus Device User Guide, V-2016.03, 2016. [5] M. Luisier et al., Jour. Appl. Phys. 100(4), 043713, (2006). [6] F. Heinz et al., Jour. Appl. Phys. 100(8), 084314, 2006. [7] S. Sant et al., IEEE T-ED 65 (6), 2578-2584, 2018.

0.04

0.03

0.01

 $0.02 \stackrel{(III)}{=} 0.02 II$ 



 $10^{-6} \int_{0}^{10^{-6}} \int_{0}^{0.1} \int_{0.2}^{0.3} \int_{V_{GS}(V)}^{0.3}$ 

 $\times 10^2$ 

 $-\mu_{\rm d}$ 

--- $\mu_{\rm b}, v(\psi)$ 

- μ<sub>b</sub>, v(n<sub>TOB</sub>)

33

- -  $E_F(\mu_b, v(n_{TOB}))$ 

15

 $\substack{{\rm eBTB}\\{\rm cr}} ({\rm cm}^{-3}{\rm s}^{-1})$ 

0

-0.3

Energy (eV) 9.0- 6V

-0.8

-1 [.\_\_\_\_\_ 25

32

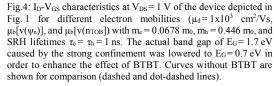
10

 $(\frac{10}{m\mu})^{0}$ 

 $---\mu_{\rm d}$  $--+--\mu_{\rm b}, v(\psi)$ 

- - - μ<sub>b</sub>, v(n<sub>TOB</sub>))

Fig.1: Schematic of an In<sub>0.53</sub>Ga<sub>0.47</sub>As double-gate (DG) ultra-thinbody FET. Parameters:  $N_D = 5 \times 10^{19}$  cm<sup>-3</sup>,  $L_S = 20$  nm,  $L_G = 11.5$  nm,  $t_{body} = 4.2$  nm, and  $m_e = 0.0678 m_0$ .



35

x (nm)

34

36

35

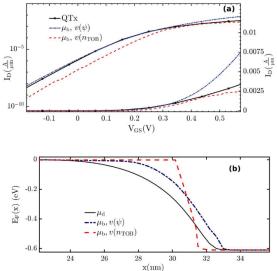
37

(b)

0.4

0.5

(a)



 $\label{eq:rnm} \begin{array}{c} x(nm) \end{array} \\ Fig.2: (a) I_D-V_{GS} \mbox{ characteristics at } V_{DS} = 0.61 \mbox{ V of the device depicted} \\ in Fig. 1 with a tunnel mass $m_t = m_c$. (b) Fermi energy profiles $-e\psi_n(x)$ for different electron mobilities $(\mu_d = 1x10^3 \mbox{ cm}^2/Vs$, $\mu_b[v(\psi_n)]$, and $\mu_b[v(n_{TOB}]$), all extracted at $V_{GS} = -0.2 \ V$ and $V_{DS} = 0.61 \ V$.} \end{array}$ 

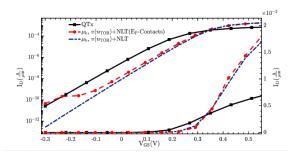


Fig.5: (a) Electron BTBT rates for different electron mobilities ( $\mu_a = 1 \times 10^3 \text{ cm}^2/\text{Vs}$ ,  $\mu_b[v(\psi_n)]$ , and  $\mu_b[v(n_{\text{TOB}}])$  extracted at  $V_{\text{GS}} = 0$  V and  $V_{\text{DS}} = 1$  V. Parameters are the same as in Fig. 4. (b) Corresponding profiles of the electron Fermi energy -e $\psi_n(x)$ .

x (nm)

30

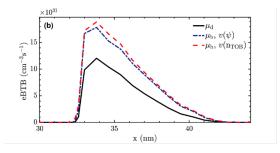


Fig.3: I<sub>D</sub>-V<sub>GS</sub> characteristics at  $V_{DS}$  = 50 mV of the device depicted in Fig. 1 with a tunnel mass  $m_t$ =  $m_e$ . The red curve was obtained by a post-processing calculation of the STDT current using the contact Fermi energies in the NLT model instead of local QFPs.

Fig.6: Electron BTBT rates for different electron mobilities  $(\mu a = 1 \times 10^3 \text{ cm}^2/\text{Vs}, \ \mu b [v(\psi_n)], \text{ and } \ \mu b [v(n_{\text{TOB}}]) \text{ extracted at } V_{\text{GS}} = 0 \text{ V and } V_{\text{DS}} = 2.5 \text{ V}.$